

B physics from LEP and SLD

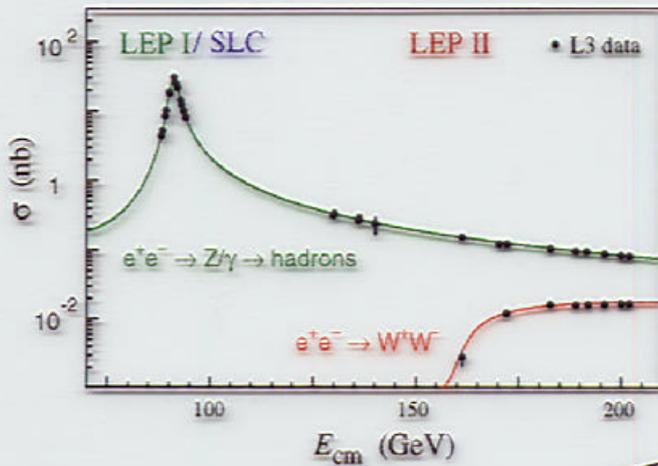
Roger Forty, CERN

The era of the B factories is just beginning,
taking over from the Z factories

I will concentrate on B decay properties
rather than production/electroweak

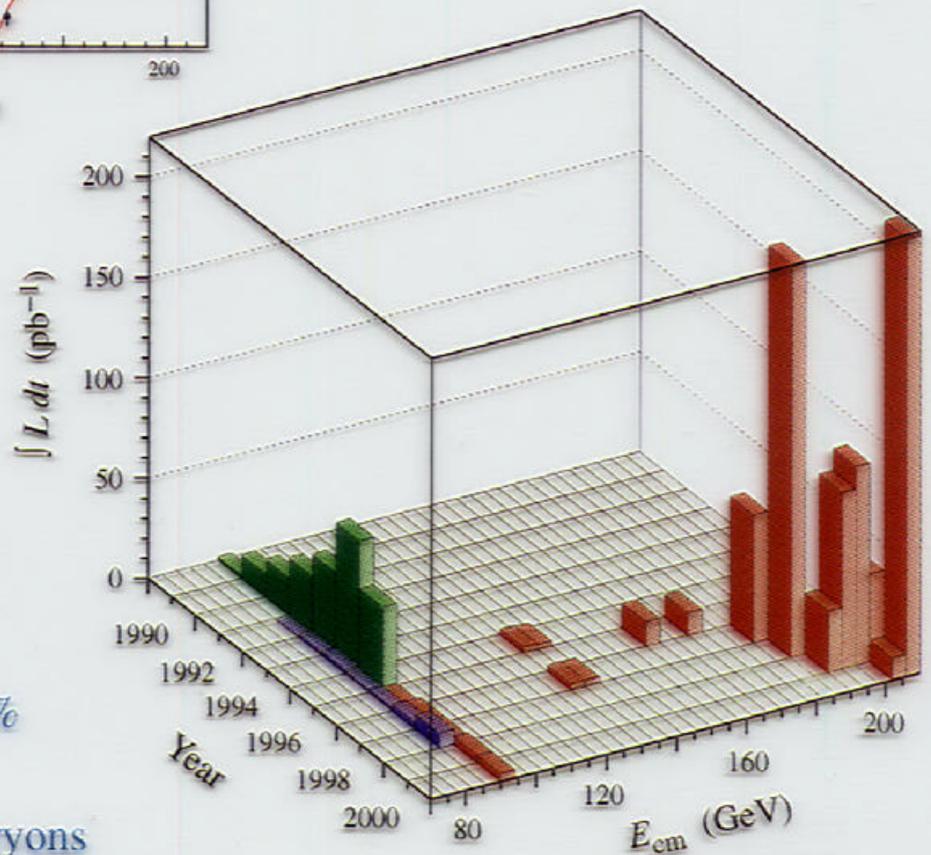
1. Lifetimes
2. Semileptonic BR
3. V_{cb} and V_{ub}
4. Oscillations
5. CKM constraints

Dataset



LEP II

$\sim 10^4$ W^+W^- events / experiment
 but few B's
 finally switched off end-2000



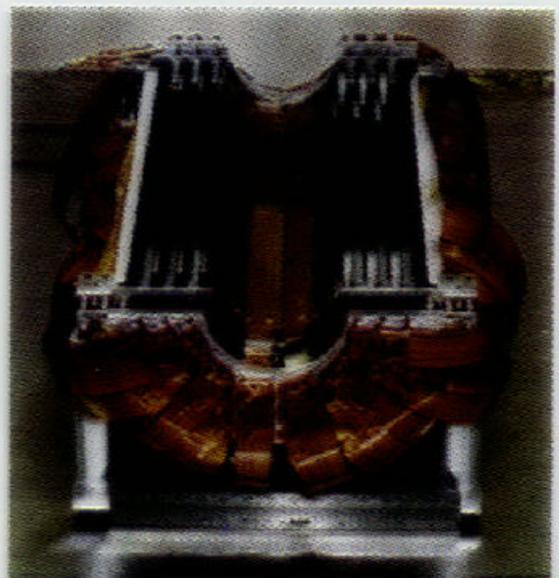
LEP I

$\sim 5 \times 10^6$ $Z \rightarrow$ hadron events / experiment
 $\times 4$ experiments
 $\times R_b = (21.64 \pm 0.08)\%$
 $\rightarrow \sim 10^7$ b-hadrons
 $\sim 10\%$ B_s , 10% b-baryons

SLD

$\sim 0.5 \times 10^6$ $Z \rightarrow$ hadron events
 Rely on unique features to be competitive:

1. Polarized e^- beam
2. Precise beam spot $\sim (2 \times 1) \mu\text{m}$
3. Beautiful vertex detector
 3×10^8 pixels, $(20 \times 20) \mu\text{m}$



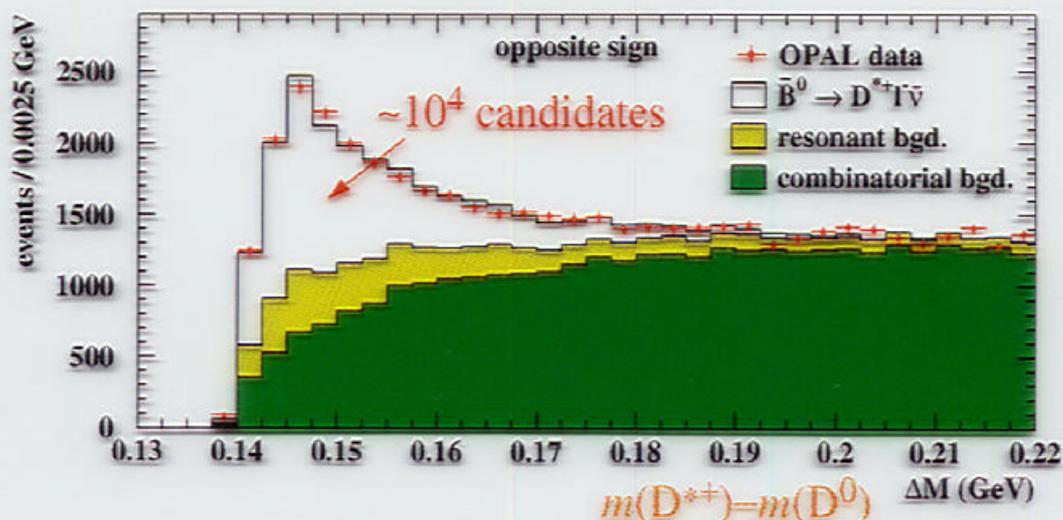
1. Lifetimes

Inclusive, topological vertexing techniques give most precise $\tau(B^+)$

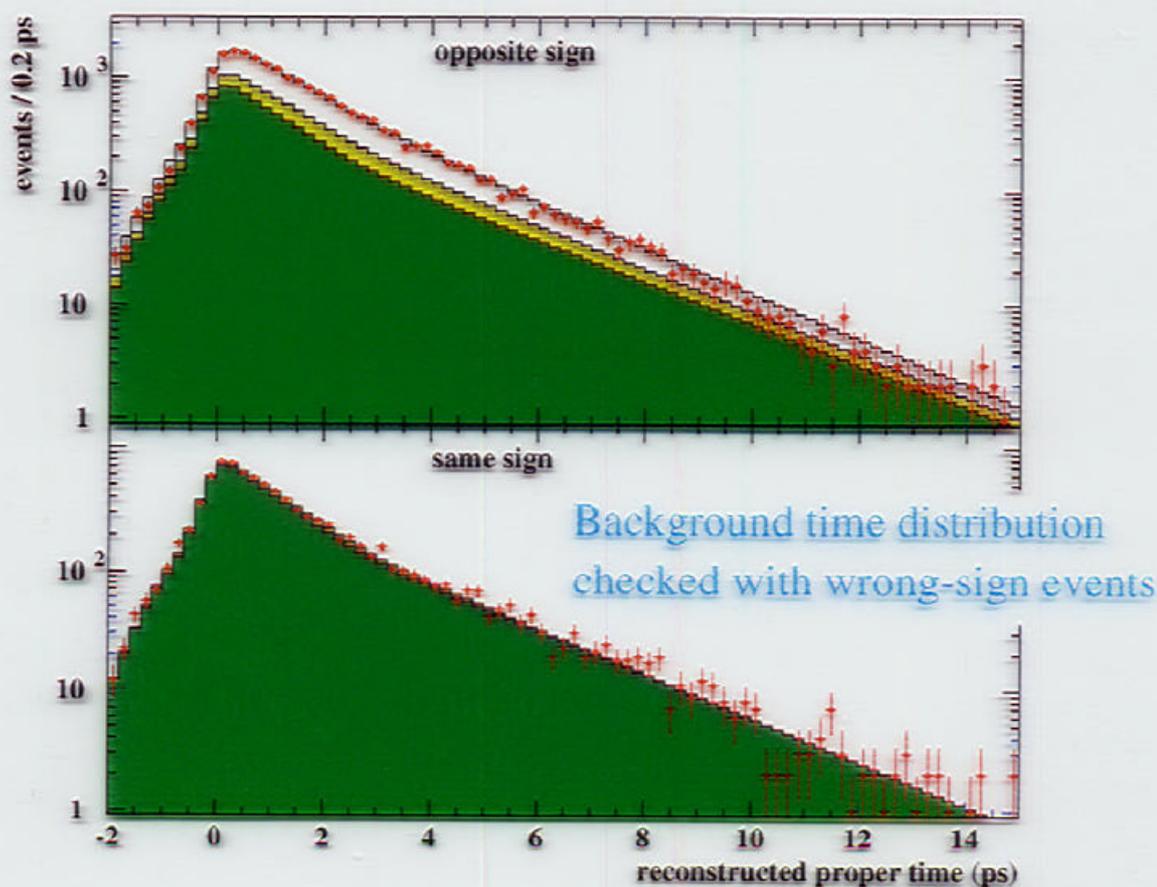
Limited for B^0 by contamination from the other neutrals: B_s, Λ_b
 \rightarrow select B^0 decays using partial reconstruction of $\bar{B}^0 \rightarrow D^{*+} l^- \bar{\nu}$

New OPAL analysis [CERN-EP-2000-090]

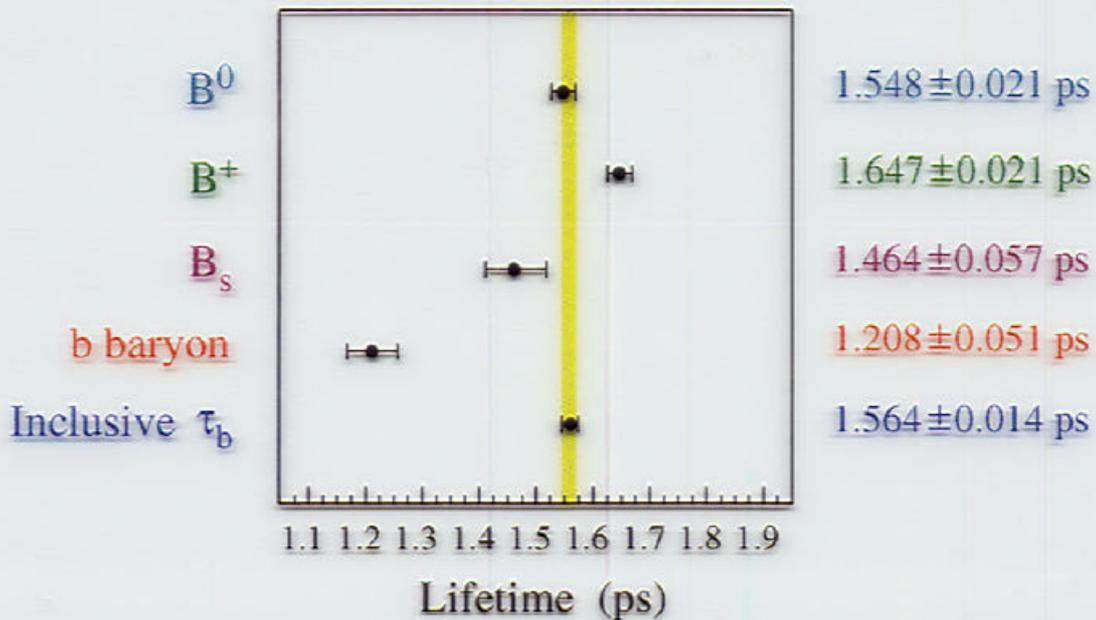
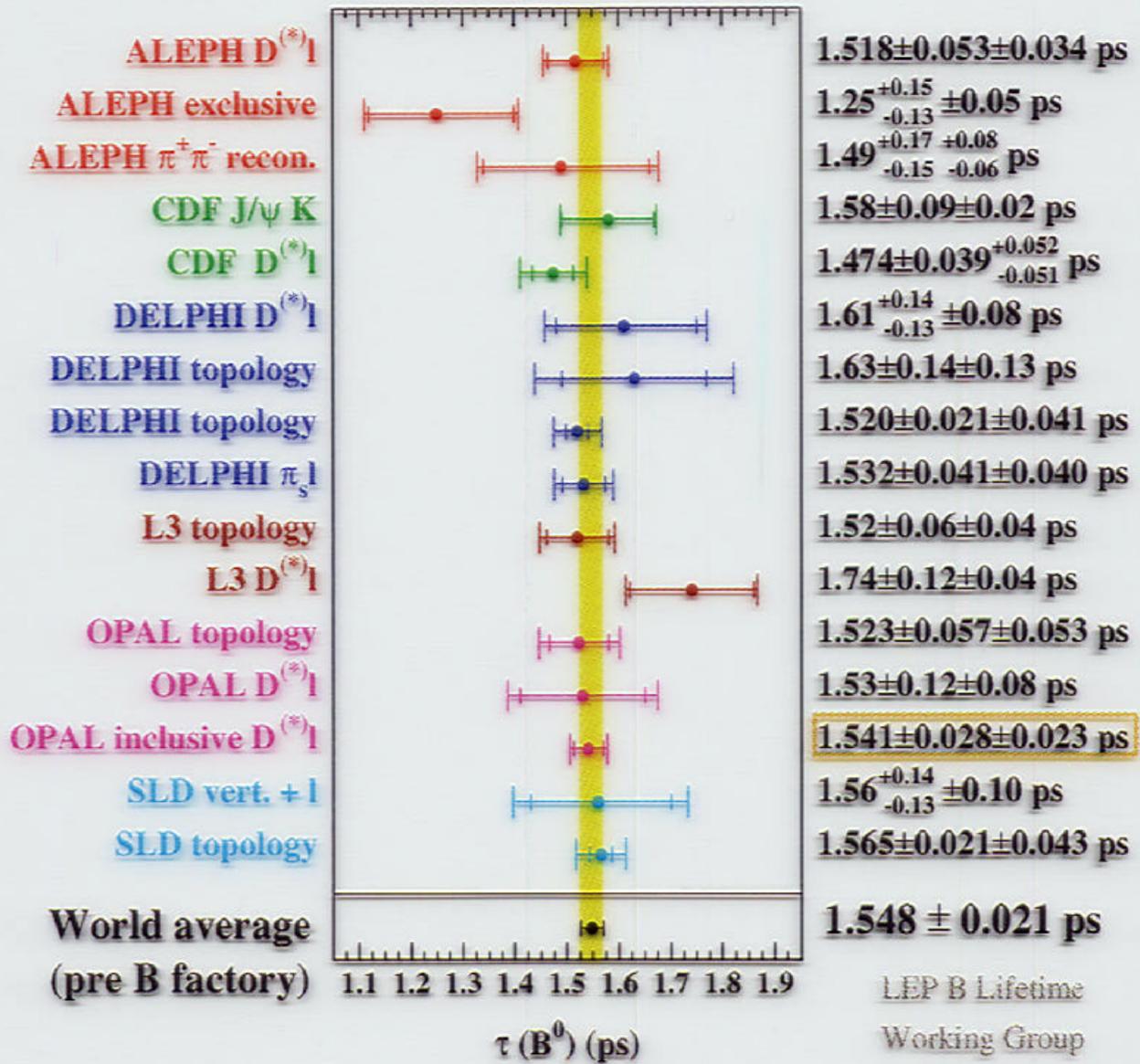
$\hookrightarrow D^0 \pi^+$



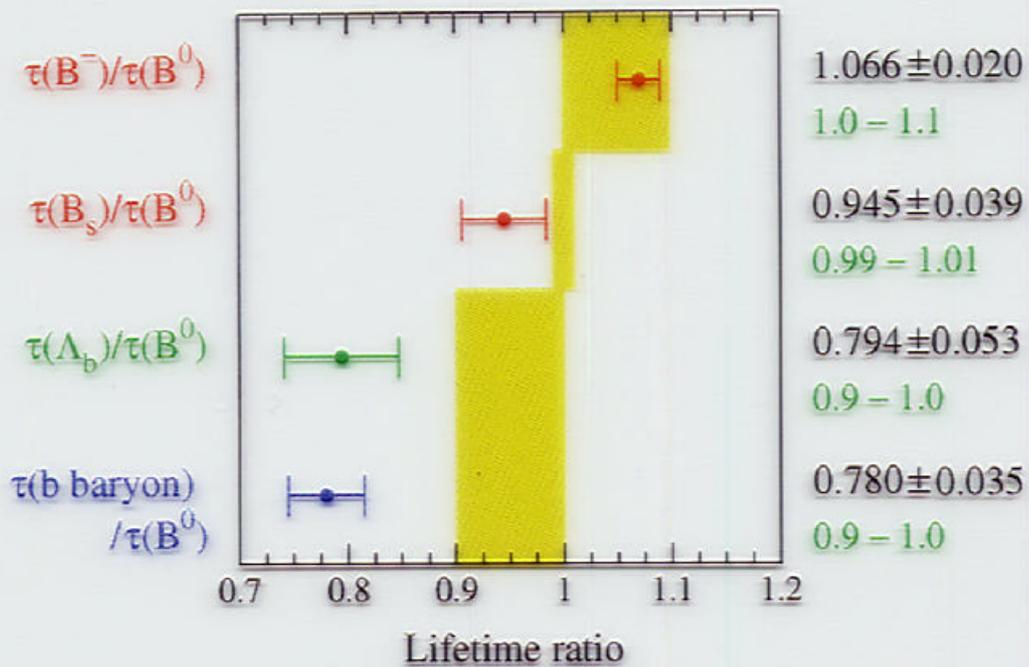
Decay length measured by vertexing lepton and slow π^+



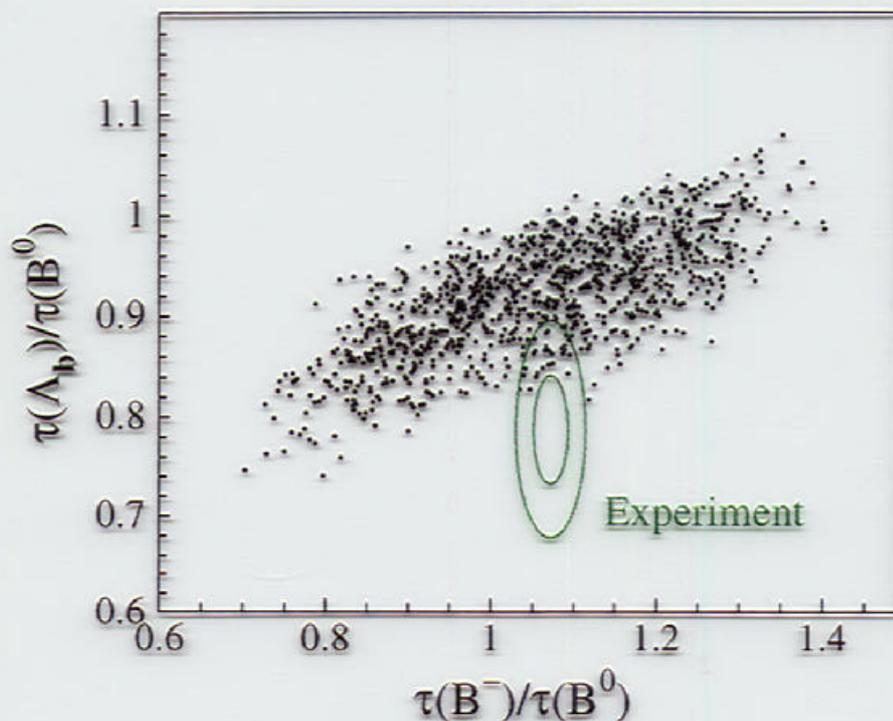
Summary of results for the B^0 lifetime:



Comparison of measured lifetime ratios with predictions [Bigi]:



Predicted hierarchy confirmed, but long-standing discrepancy for Λ_b
 However, may be resolved by theory: range of predictions for reasonable choices of unknown hadronic matrix elements [Neubert]



Recent analysis based on QCD sum-rules [Huang, Liu, Zhu]:

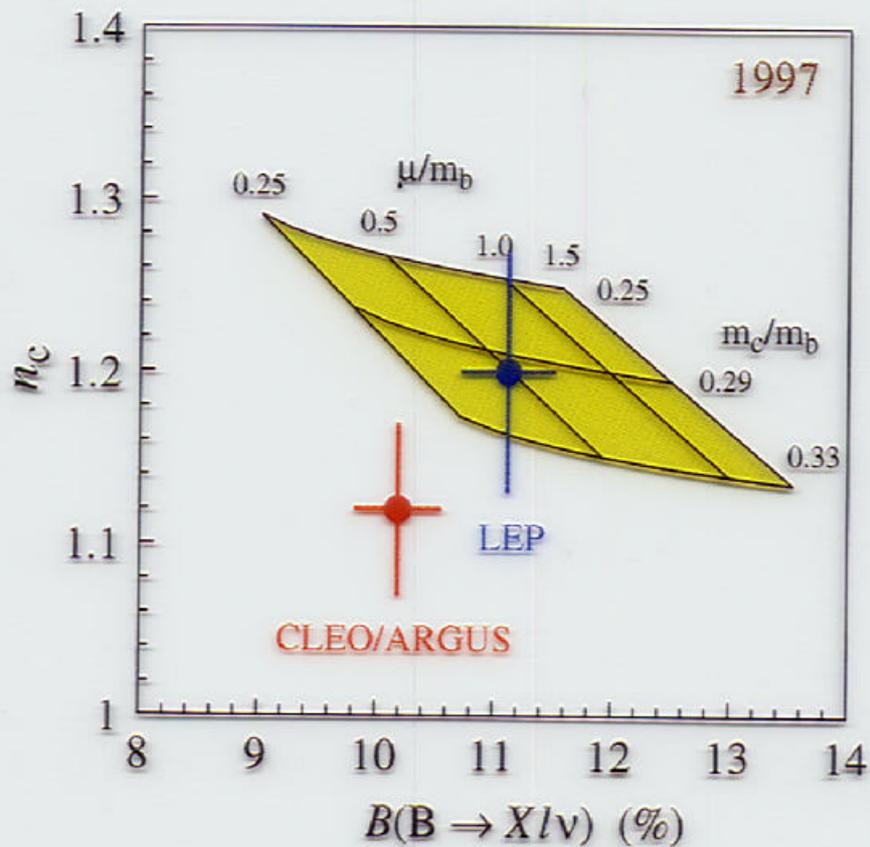
$$\tau(\Lambda_b)/\tau(B^0) = 0.83 \pm 0.04$$

2. Semileptonic BR

Two long-standing problems:

1. Discrepancy between measurements at LEP and $\Upsilon(4S)$
2. Predicted value somewhat higher than measured

From the same review of Neubert [ICHEP 1997]:



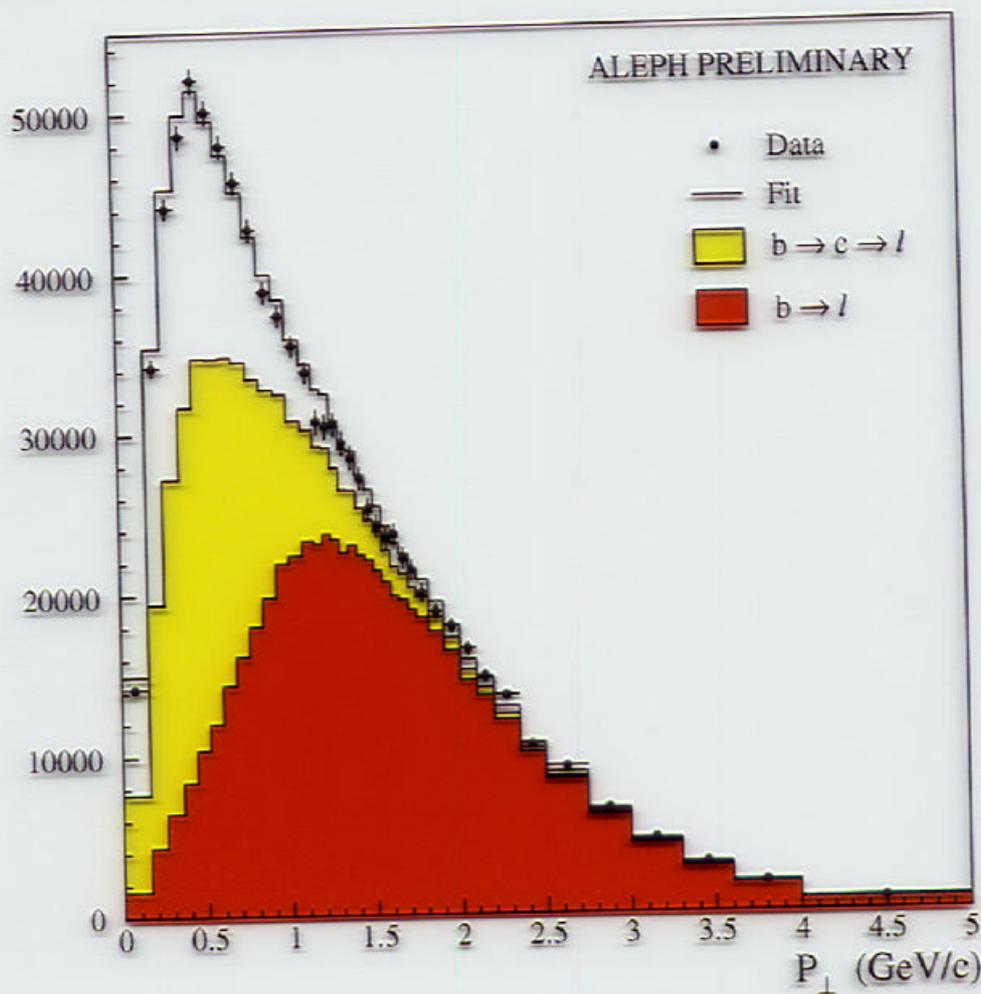
Prediction for $B(B \rightarrow Xlv)$ is correlated to n_c
the number of c or \bar{c} quarks produced per b decay:

Increasing $B(b \rightarrow c\bar{c}s)$ $\left\{ \begin{array}{l} \text{increases } n_c \\ \text{decreases } B(B \rightarrow Xlv) \end{array} \right.$



In this case, experiment has resolved the discrepancies

New ALEPH measurement of $B(b \rightarrow Xl\nu)$ from lepton p_T spectrum:



Uses latest fragmentation function $x_E \equiv E_{b\text{-hadron}}/E_{\text{beam}}$
 from $B \rightarrow D^*l\nu$ [ALEPH 2000-068] $\langle x_E \rangle = 0.730 \pm 0.008$
 consistent with SLD result [SLAC-PUB-8316] 0.714 ± 0.009
 but harder than traditional LEP value 0.702 ± 0.008

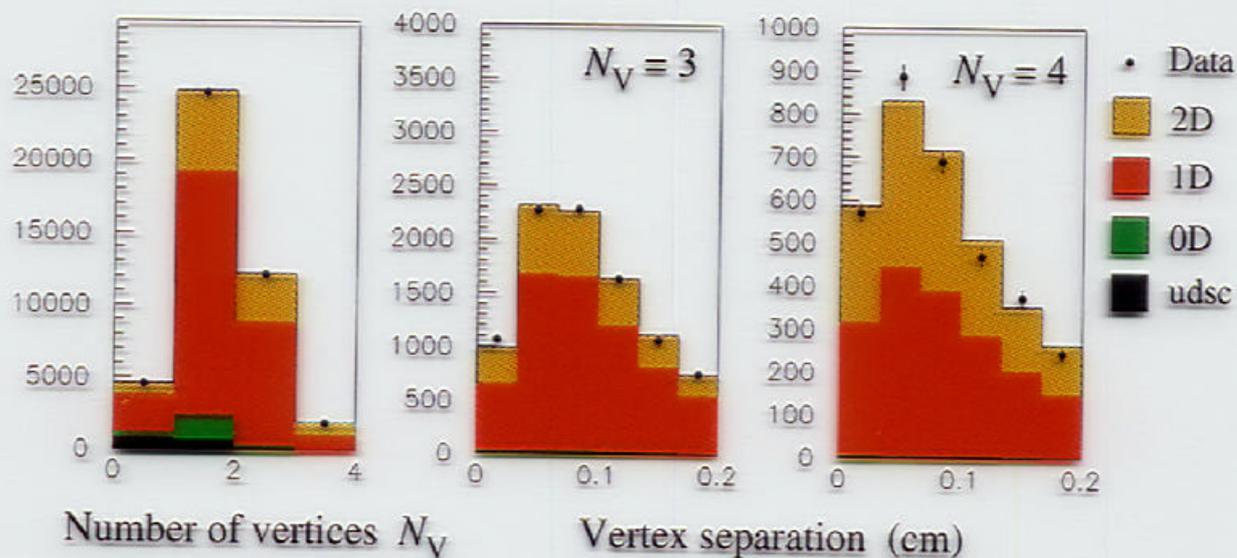
Second approach: use charge correlation between lepton and opposite hemisphere, reduces model-dependence

Final result: $B(b \rightarrow Xl\nu) = (10.55 \pm 0.09 \pm 0.32)\%$ [ALEPH 2000-069]
 Latest LEP average: $(10.56 \pm 0.11 \pm 0.18)\%$ [Golutvin, ICHEP]

$B(B \rightarrow Xl\nu) = B(b \rightarrow Xl\nu) \times \tau(B)/\tau(b) = (10.79 \pm 0.25)\%$
 in good agreement with value from $\Upsilon(4S)$ $(10.45 \pm 0.21)\%$

New SLD measurement of n_c from topological vertexing:

Fit number of reconstructed vertices and vertex separation distances with Monte Carlo functions for decays with 0, 1 and 2 charm vertices



$$n_c \equiv 1 - B_{0D} + B_{2D} + 2 \times B_{\psi}$$

Correcting for charmonium $B_{\psi} \equiv (2.4 \pm 0.3)\%$

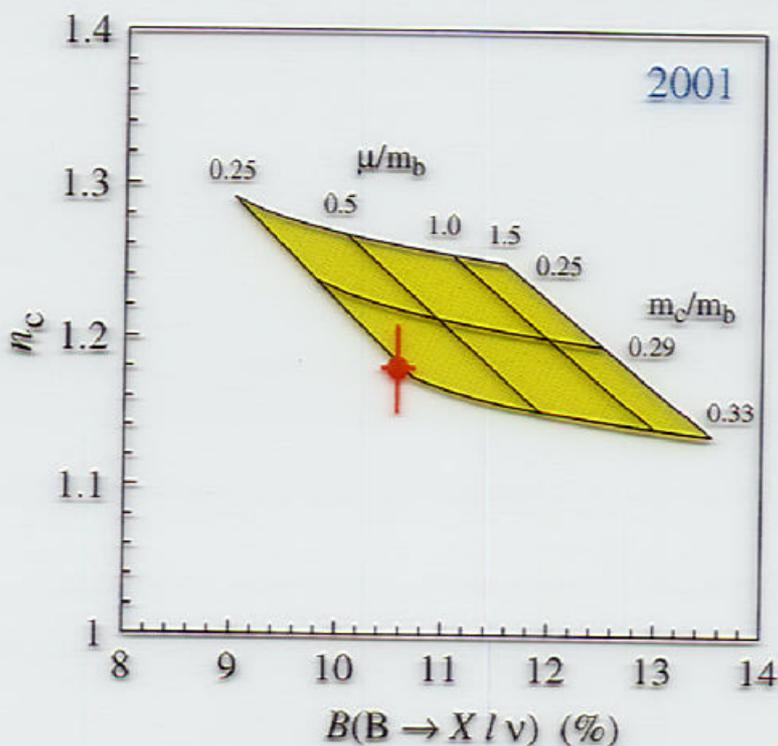
they extract:

$$n_c = 1.238 \pm 0.027 \pm 0.048 \quad [\text{SLAC-PUB-8686}]$$

Previous world average:

$$1.152 \pm 0.036 \quad [\text{Golubvin, ICHEP}]$$

New averages for n_c and $B(B \rightarrow X l \nu)$: no significant discrepancy



3. V_{cb} and V_{ub}

$$\Gamma(b \rightarrow c \ell \bar{\nu}) = \frac{G_F^2 m_b^5 \Omega}{192 \pi^3} |V_{cb}|^2 = \frac{B(b \rightarrow c \ell \bar{\nu})}{\tau_b}$$



assuming equal
semileptonic widths

→ inclusive extraction of $|V_{cb}|$, using Heavy Quark Expansion:

$$|V_{cb}| = (0.0411 \pm 0.0018) \sqrt{\frac{B(b \rightarrow c \ell \bar{\nu})}{0.105}} \sqrt{\frac{1.55 \text{ ps}}{\tau_b}} \quad [\text{Bigi et al}]$$

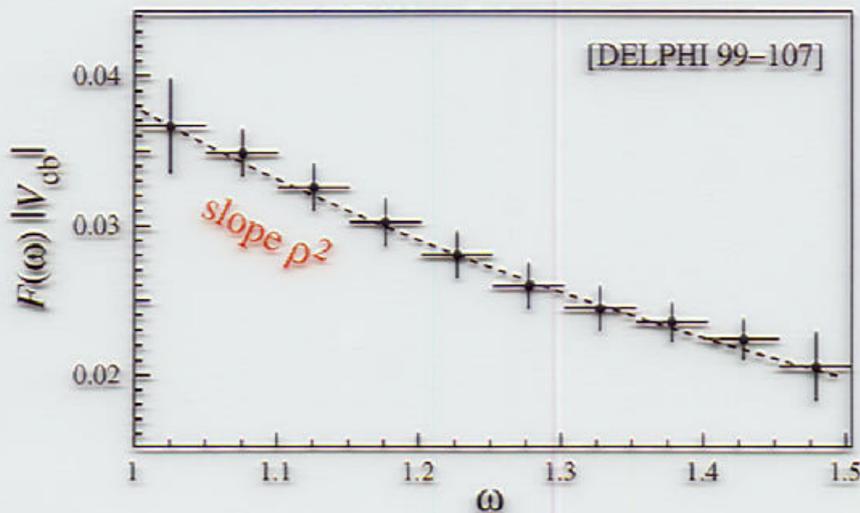
$$= (40.7 \pm 0.5 \pm 2.0) \times 10^{-3} \quad [\text{LEP } V_{cb} \text{ Working Group}]$$

$$\text{cf } (40.1 \pm 0.9 \pm 0.7) \quad [\text{Thorndike (CLEO)}]$$

Alternative approach: use exclusive $\bar{B}^0 \rightarrow D^{*+} \ell \bar{\nu}$ decays

Differential decay rate: $d\Gamma/d\omega \propto F^2(\omega) |V_{cb}|^2$

where $\omega = \frac{m_B^2 + m_{D^*}^2 - q^2}{2 m_B m_{D^*}}$ is the D^* boost in the B rest frame

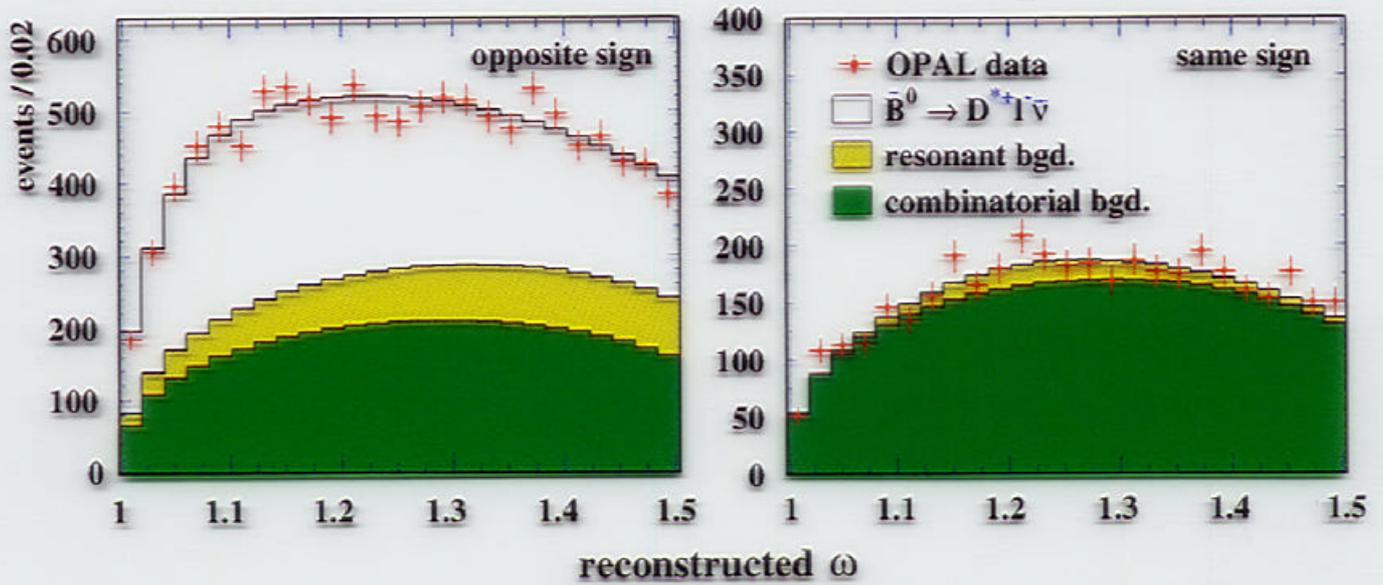


From HQET (for $m_Q \rightarrow \infty$) $F(\omega) = 1$ at $\omega = 1$ (zero recoil)

Finite mass and QCD corrections $\rightarrow F(1) = 0.88 \pm 0.05$ [Uraltsev et al]

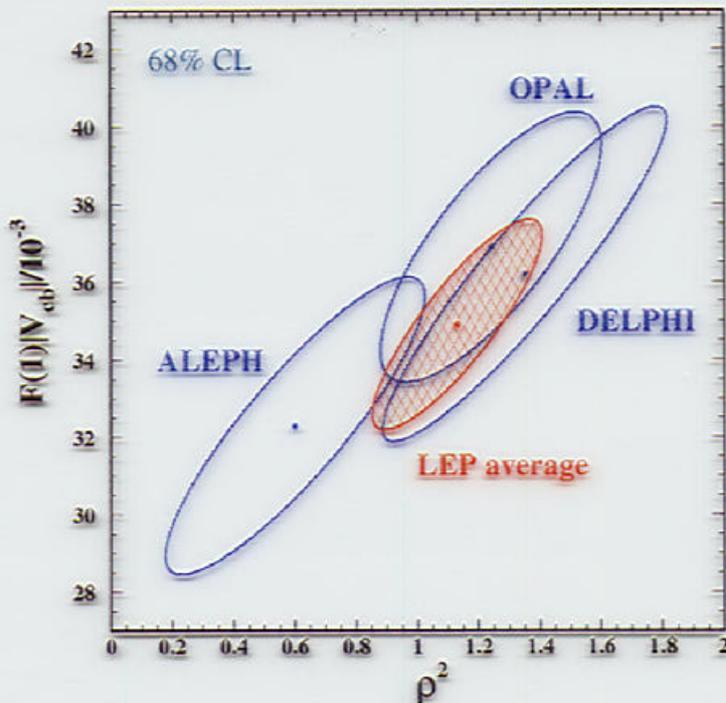
phase-space

New result from OPAL (before efficiency correction):



$$\Rightarrow F(1) |V_{cb}| = (37.1 \pm 1.0 \pm 2.0) \times 10^{-3} \quad [\text{CERN-EP-2000-032}]$$

LEP results averaged accounting for correlation with slope:



$$F(1) |V_{cb}| = (34.5 \pm 0.7 \pm 1.5) \times 10^{-3}$$

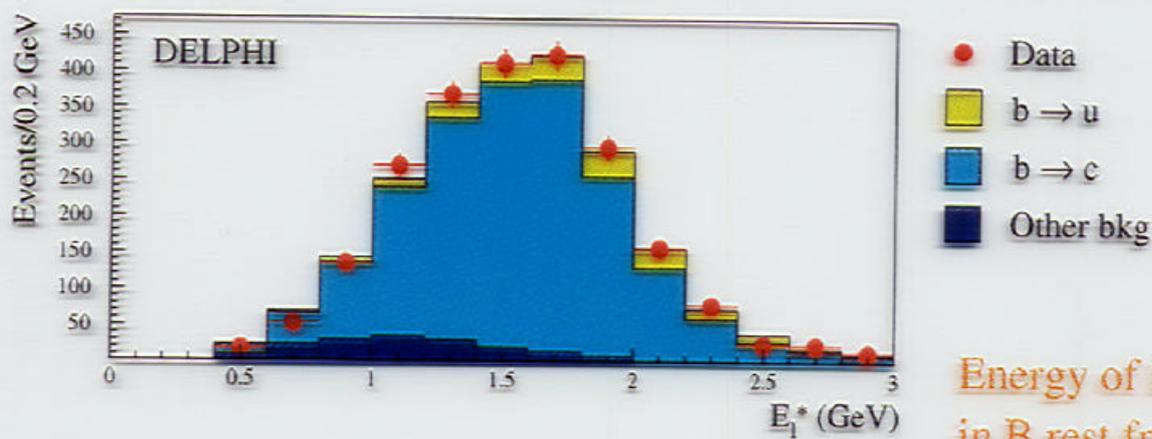
$$\Rightarrow |V_{cb}| = (39.8 \pm 1.8 \pm 2.2) \times 10^{-3}$$

Consistent with inclusive result, averaged to give:

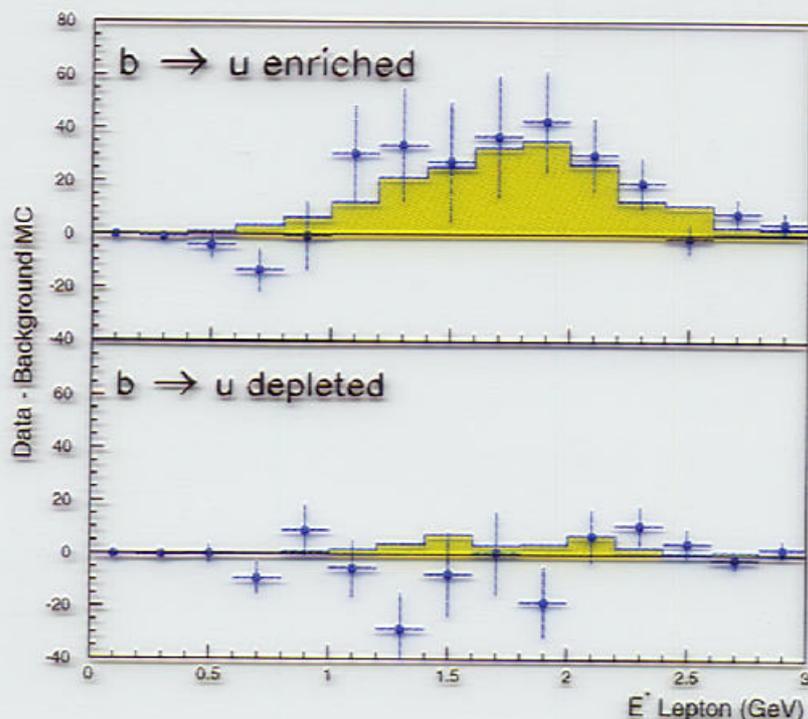
$$|V_{cb}| = (40.4 \pm 1.8) \times 10^{-3} \quad [\text{LEP } V_{cb} \text{ Working Group}]$$

Charmless semileptonic BR also measured at LEP

Recent New result from DELPHI: select sample enriched in $b \rightarrow u$ decays using K/p veto, requiring small offset of lepton from B vertex, mass of hadronic system $m_{X_u} < 1.6$ GeV (below the D mass)



Substantial background from $b \rightarrow c$ decays, requires careful subtraction



[CERN-EP-2000-030]

$$\Rightarrow B(b \rightarrow u l \bar{\nu}) = (1.57 \pm 0.35 \pm 0.55) \times 10^{-3}$$

LEP average: $(1.74 \pm 0.57) \times 10^{-3}$

$$|V_{ub}| = (0.00445 \pm 0.00018) \sqrt{\frac{B(b \rightarrow u l \bar{\nu})}{0.002}} \sqrt{\frac{1.55 \text{ ps}}{\tau_b}} \quad [\text{Uraltsev et al}]$$

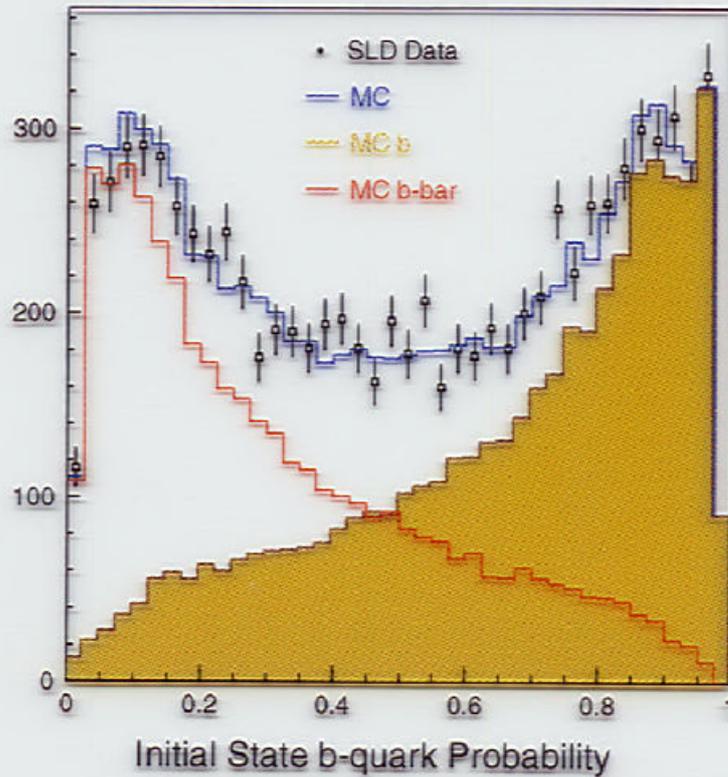
$$= (4.1 \pm 0.7) \times 10^{-3} \quad [\text{LEP } V_{ub} \text{ Working Group}]$$

$\pm 13\%$ systematic from modelling: enough? [Falk]

4. Oscillation

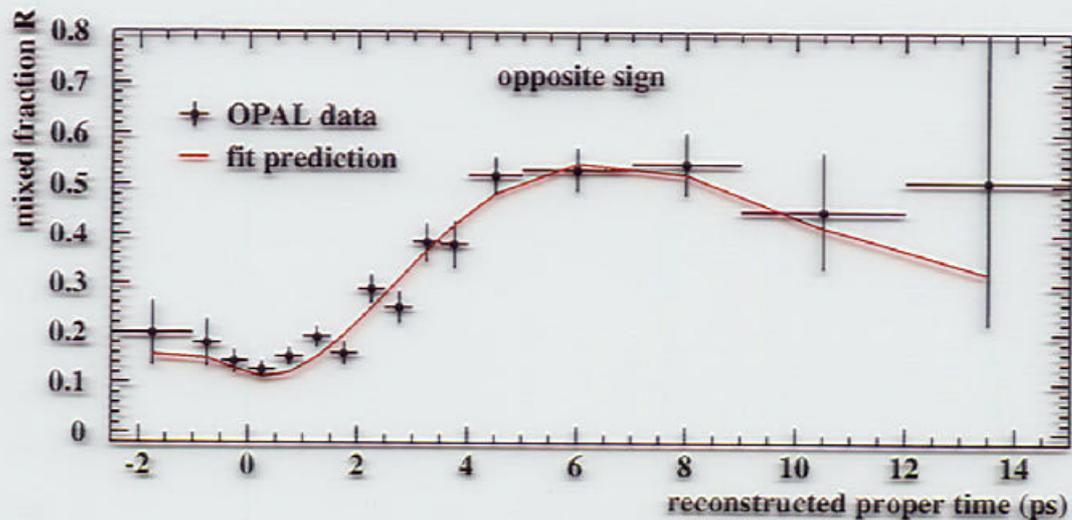
Study of $B^0-\bar{B}^0$ oscillations requires tagging of production state

SLD profit from polarized e^- beam (combined with other tags):

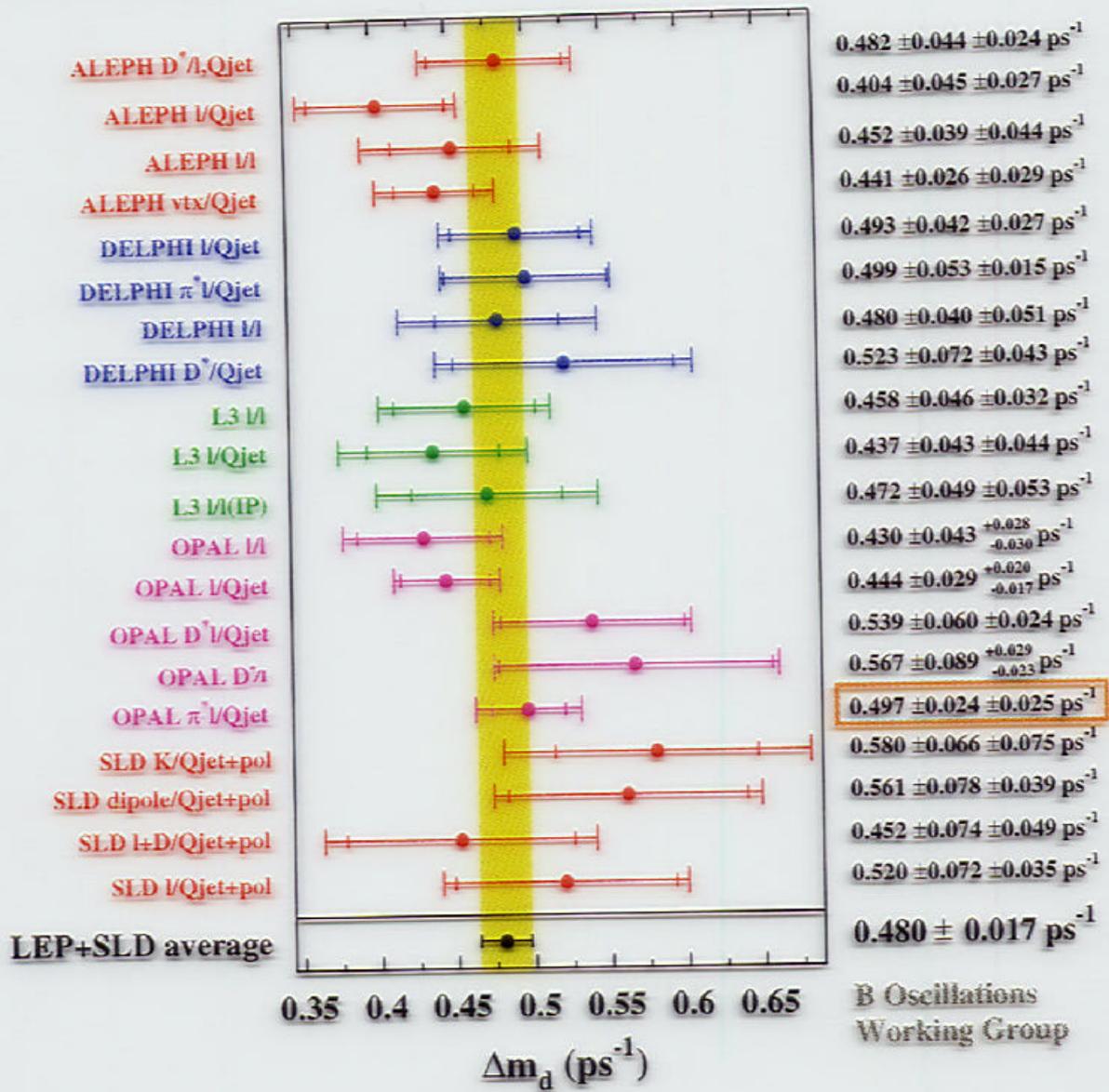


Overall mistag rate $\sim 23\%$ (for 100% tagging efficiency)

Example of fit for the $B^0-\bar{B}^0$ oscillation frequency Δm_d
(from the same OPAL analysis as measured τ_{B^0}):



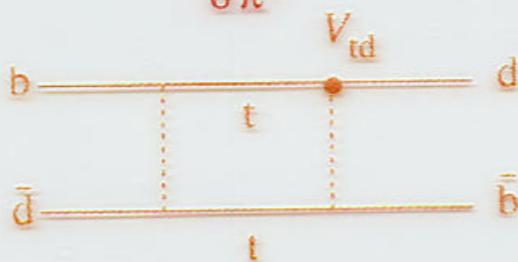
Measuring Δm_d has become an industry:



20 results from LEP+SLD, giving $\sim 3\%$ precision on Δm_d

However, extraction of V_{td} limited by uncertainty on hadronic matrix elements, taken from Lattice QCD

$$\Delta m_d = \frac{G_F^2 m_W^2 \eta_B S_0(m_t^2/m_W^2) m_{B_d} |V_{td}|^2 f_B^2 B_B}{6\pi^2}$$



$$f_B \sqrt{B_B} = (210 \pm 40) \text{ MeV} \text{ [PDG 2000]}$$

$$(230 \pm 40) \text{ MeV} \text{ [Aoki]}$$

Some uncertainties cancel in the ratio with the $B_s - \bar{B}_s$ frequency:

$$\frac{\Delta m_s}{\Delta m_d} = \frac{m_{B_s} |V_{ts}|^2}{m_{B_d} |V_{td}|^2} \xi^2$$

$$\xi = \frac{f_{B_s} \sqrt{B_{B_s}}}{f_{B_d} \sqrt{B_{B_d}}} = 1.16 \pm 0.07 \text{ [Kenway, ICHEP 2000]}$$

$$1.16 \pm 0.05 \text{ [Aoki]}$$

Measurement of Δm_s is still a hot topic [see talk of Gaelle Boix]

Analyses are combined using the Amplitude technique:

Fit the time dependence with a term $(1 \pm A \cos \Delta m_s t)$

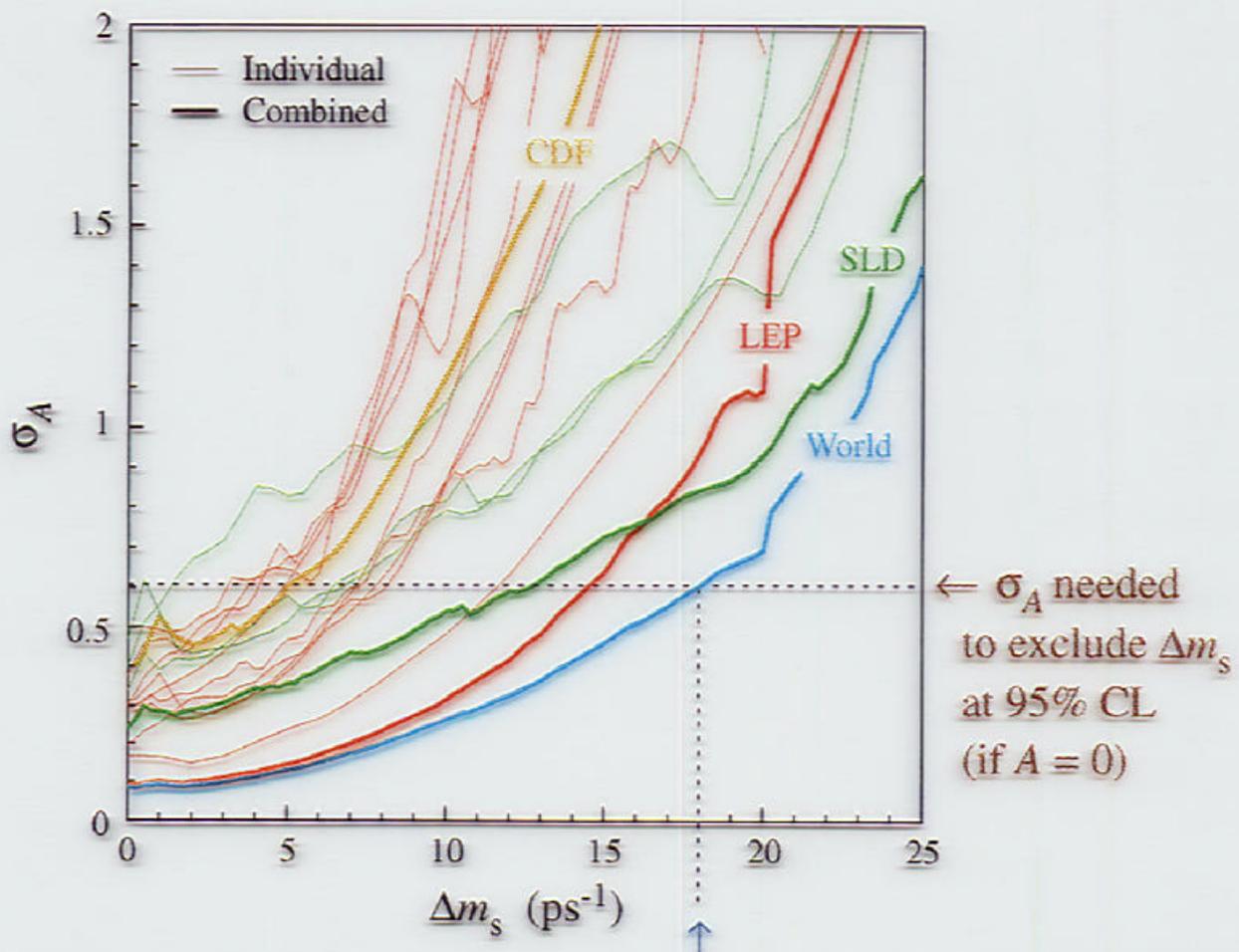
$A = 1$ at true Δm_s

0 for test frequency $<$ true Δm_s

$$\sigma_A \sim \frac{e^{-\frac{1}{2}(\Delta m_s \sigma_t)^2}}{P(1-2w)\sqrt{N}}$$

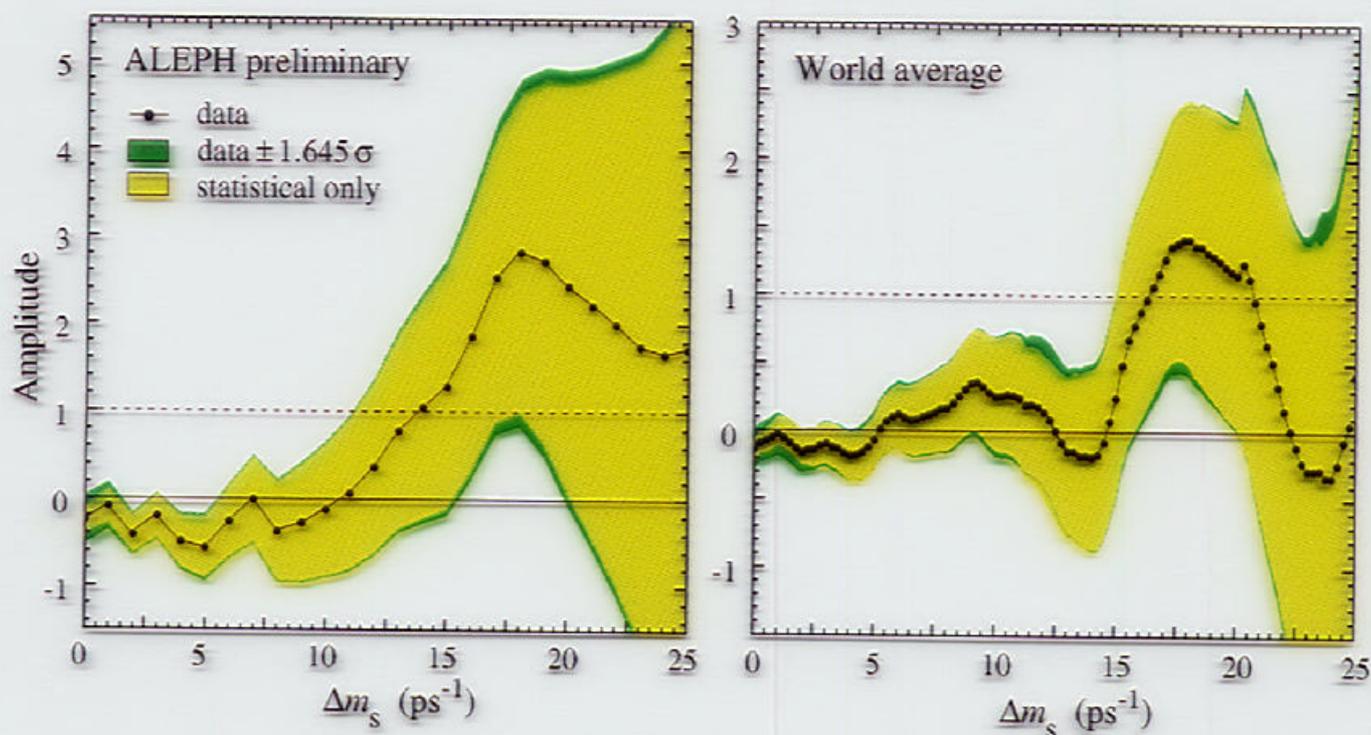
for an analysis with N events,

B_s purity P , and mistag rate w



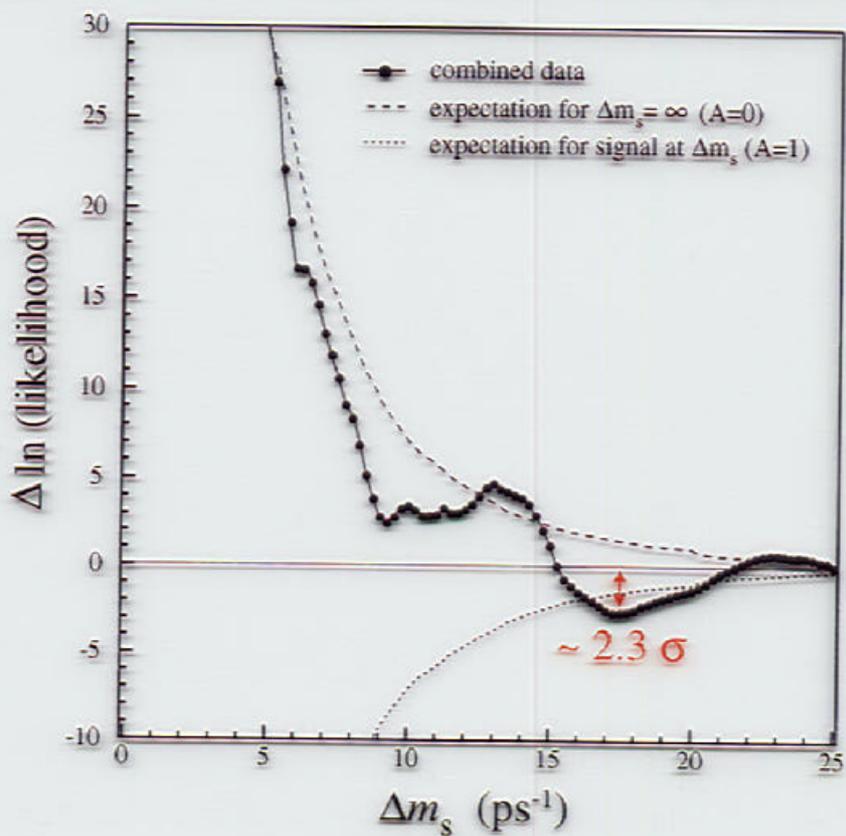
"Sensitivity" (expected limit if no signal present) $\approx 18 \text{ ps}^{-1}$

Most sensitive analysis from ALEPH using inclusive lepton events:



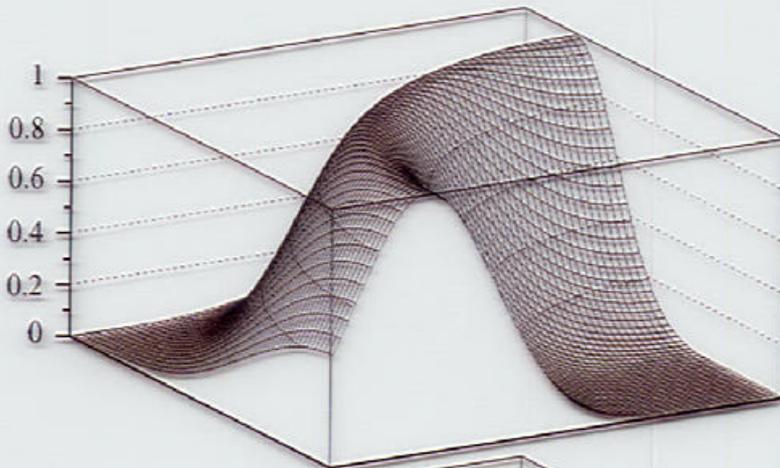
World average combination gives limit $\Delta m_s > 15 \text{ ps}^{-1}$ at 95% CL
Indication for a signal at $\Delta m_s \sim 17 \text{ ps}^{-1}$

Converting the world-average Amplitude into log-likelihood:



5. CKM constraints

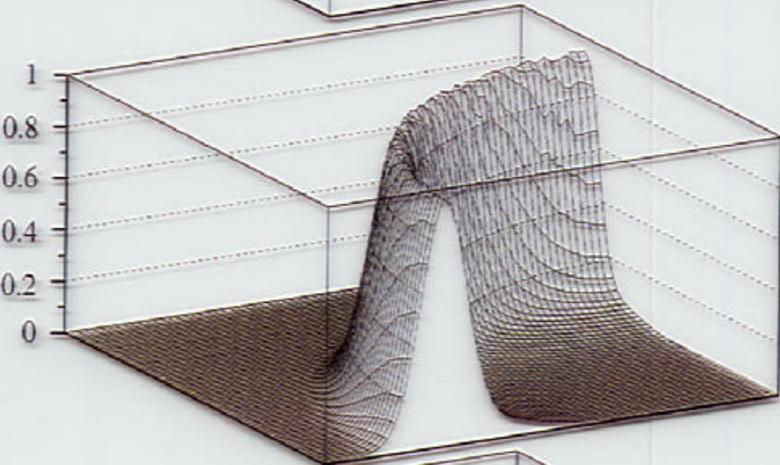
Plot likelihood as a function of $(\bar{\rho}, \bar{\eta})$ Wolfenstein parameters, as constraints from LEP+SLD are added in turn:



$$\Delta m_d$$

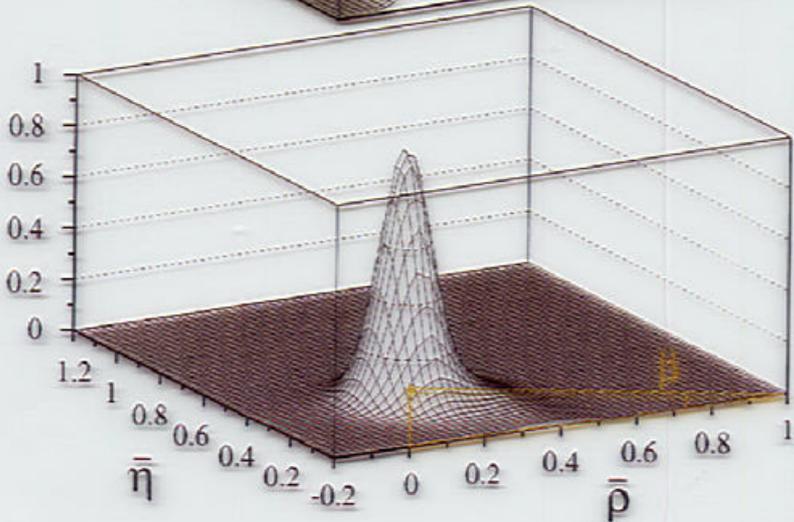
$$\text{using } f_B \sqrt{B_B} = (210 \pm 40) \text{ MeV}$$

Relative likelihood



$$\frac{\Delta m_s}{\Delta m_d}$$

$$\text{using } \xi = 1.16 \pm 0.07$$



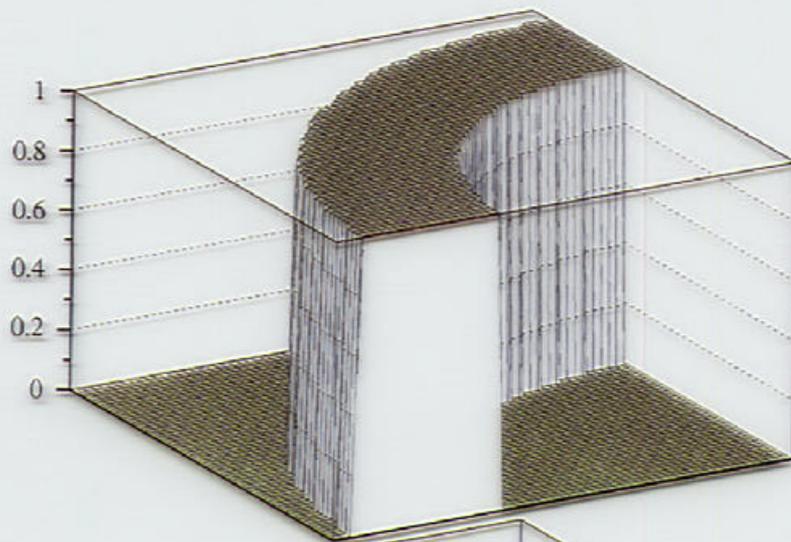
$$\left| \frac{V_{ub}}{V_{cb}} \right| = 0.10 \pm 0.02$$

Interpretation as a confidence level is debatable, due to problem of ascribing a strict confidence level for theoretical errors

and Bayesian vs. Frequentist interpretation [Höcker et al.]

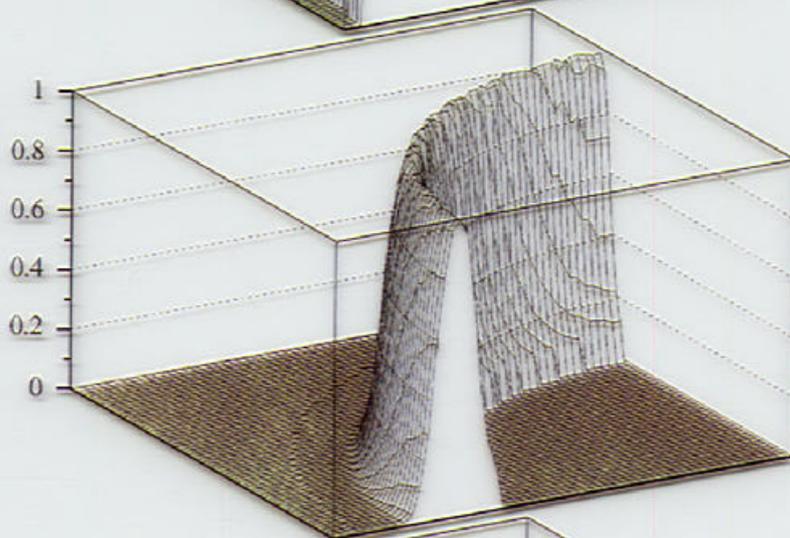
However, the result is rather insensitive to the functional form used to describe the theoretical errors

For example, using a "top hat" form \square instead of Gaussian:

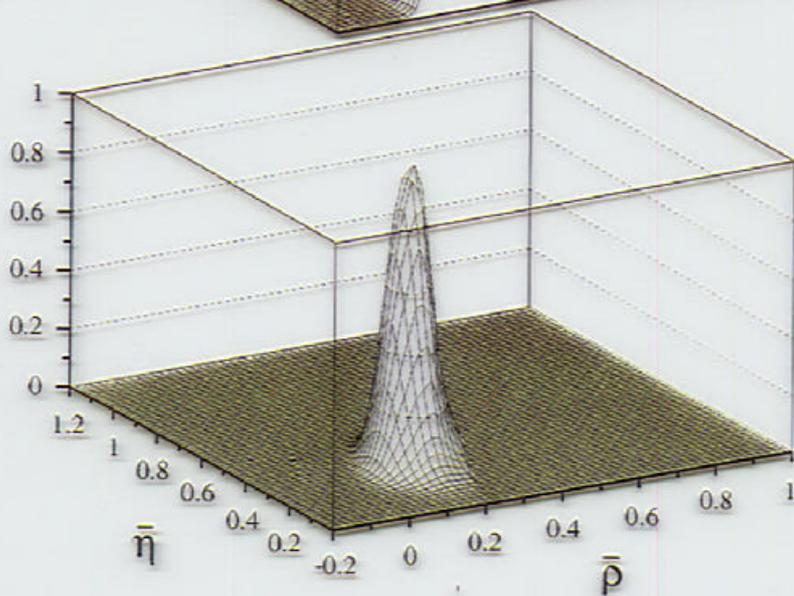


$$\Delta m_d$$

Relative likelihood

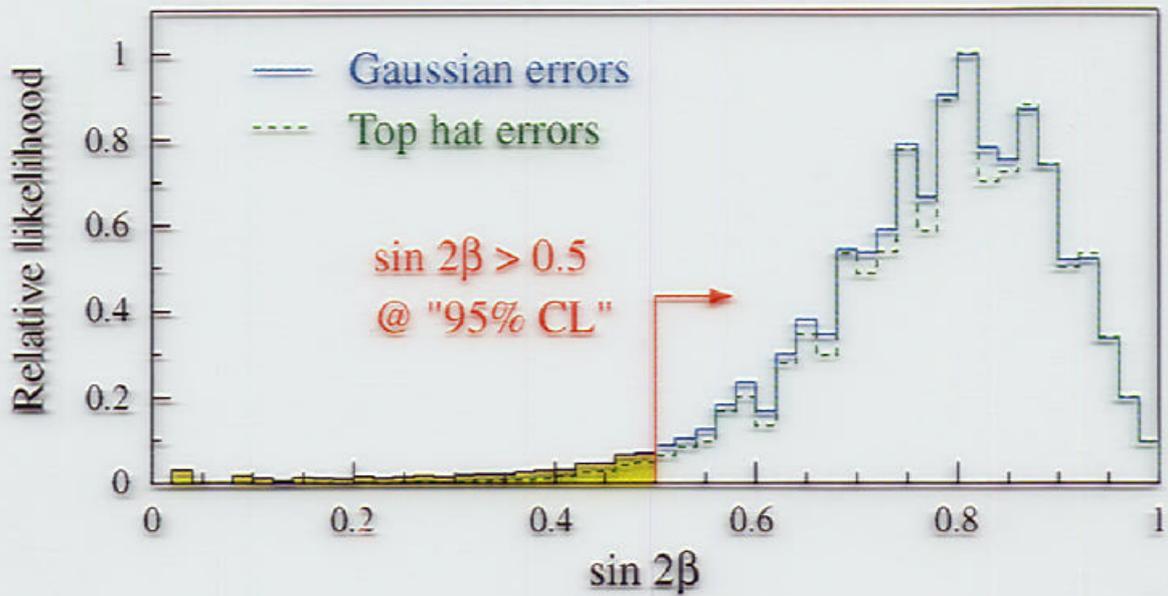


$$\frac{\Delta m_s}{\Delta m_d}$$

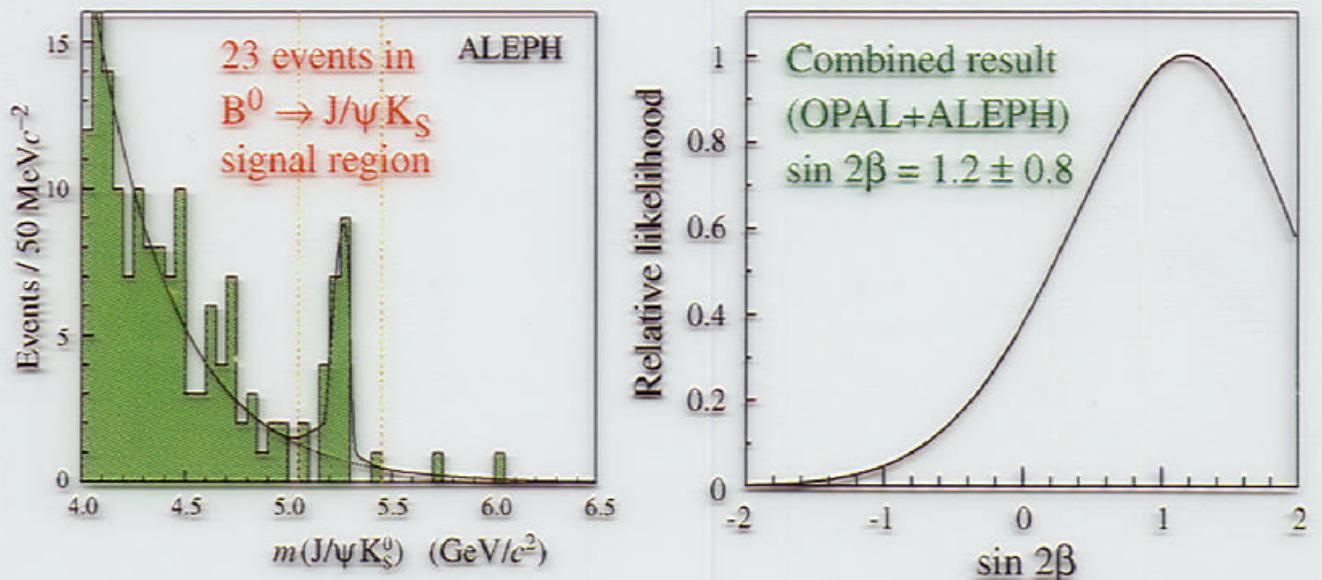


$$\left| \frac{V_{ub}}{V_{cb}} \right|$$

Corresponding distribution of $\sin 2\beta$:



Severe statistical limitation to direct measurement at LEP:



Conclusions

A wide spectrum of B physics results has come from LEP+SLD

The B decay measurements have been amongst the most precise in the world, and give strong constraints on the CKM matrix

Most analyses complete, but final push for B_s oscillations